

Specializing Multi-Domain NMT via Penalizing Low Mutual Information

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Motivation

What is Multi-Domain Neural Machine Translation (NMT)?

- Multi-Domain NMT translates multiple domains within one model.
- The model should capture both **general** and **domain-specific** knowledge.

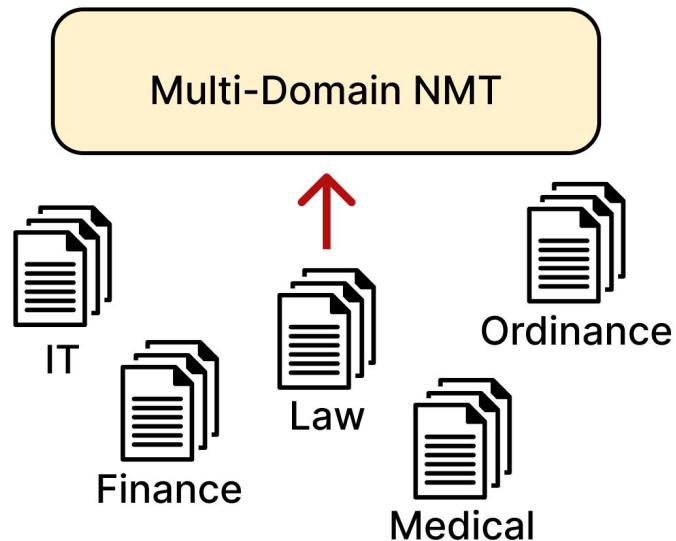


Fig 1. Multi-Domain Neural Machine Translation

Motivation

What is Multi-Domain Neural Machine Translation (NMT)?

- Multi-Domain NMT translates multiple domains within one model.
- The model should capture both **general** and **domain-specific knowledge**.
borrow **Mutual Information (MI)**

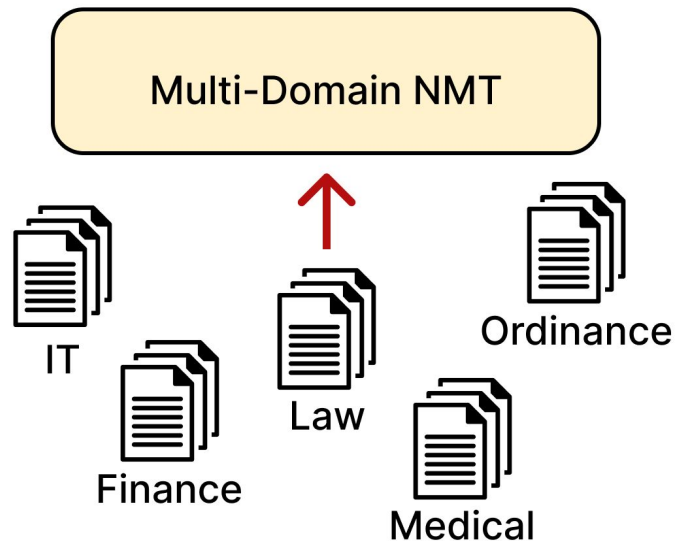


Fig 1. Multi-Domain Neural Machine Translation

Motivation

What is Mutual Information?

Mutual Information indicates the **mutual dependency** between two random variables.

$$MI(A; B) = \mathbb{E}_{A,B} \left[\frac{P(A, B)}{P(A)P(B)} \right]$$

What is Mutual Information in Multi-Domain NMT?

In Multi-Domain NMT, we measure mutual dependency between **domain** and **translation**.

Given domain D , source sentence X , target sentence Y , mutual dependency can be written as $MI(D; Y|X)$.

Low MI : the mutual dependency between domain and translation is **low**
→ domain information is **less** used

High MI: the mutual dependency between domain and translation is **high**
→ domain information is **more** used

Motivation

We compare outputs from two models with different MI distributions:

Model A with **low MI**, Model B with **high MI**.

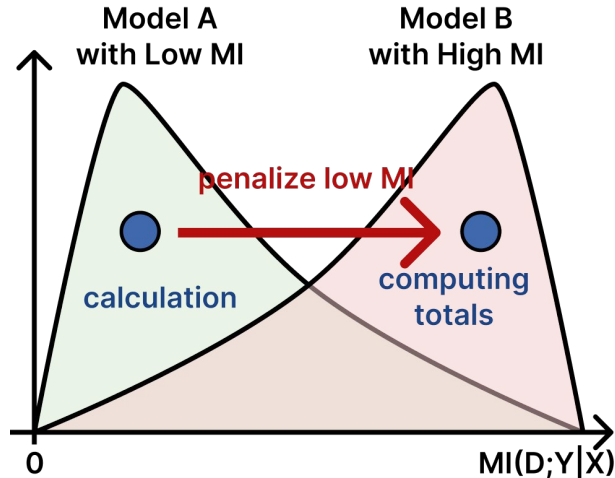


Fig 2. Overview of two models with different MI distributions

Source	Beschreib ... Summenberechnung für ein gegebenes Feld oder einen gegebenen Ausdruck.
Reference	Describe a way of computing totals for a given field or expression.
Model A with Low MI	Describe the kind of calculation for a given field or expression.
Model B with High MI	Describe the way of computing totals for a given field or expression

From the result, high MI value helps in correctly retaining domain-specific terms.

→ In this paper, we aim to penalize low MI to have higher value to encourage model to learn domain knowledge.

How Can We Get Mutual Information?

$$\begin{aligned} MI(D; Y|X) &= \mathbb{E}_{D,X,Y} \left[\log \frac{p(D, Y|X)}{p(D|X) \cdot p(Y|X)} \right] \\ &= \mathbb{E}_{D,X,Y} \left[\log \frac{p(D|Y, X) \cdot p(Y|X)}{p(D|X) \cdot p(Y|X)} \right] \\ &= \mathbb{E}_{D,X,Y} \left[\log \frac{p(X, Y, D) \cdot p(X)}{p(X, Y) \cdot p(X, D)} \right] \\ &= \mathbb{E}_{D,X,Y} \left[\log \frac{p(Y|X, D)}{p(Y|X)} \right] \end{aligned}$$

log quotient of translation with and without domain information.

How Can We Get Mutual Information?

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← Since we do not know the true distributions, we have to approximate with model output (**XMI**)

How Can We Get Mutual Information?

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Domain Adapted Model

Generic Domain-Agnostic Model

How Can We Get Mutual Information?

We need both Domain-Adapted model and Generic Domain-Agnostic model

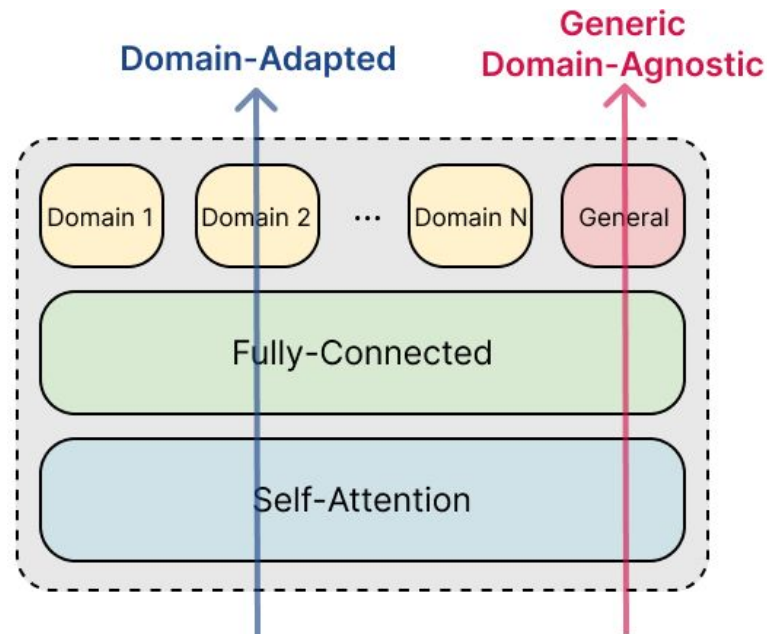


Fig 3. Model Architecture

How Can We Get Mutual Information?

We need both Domain-Adapted model and Generic Domain-Agnostic model

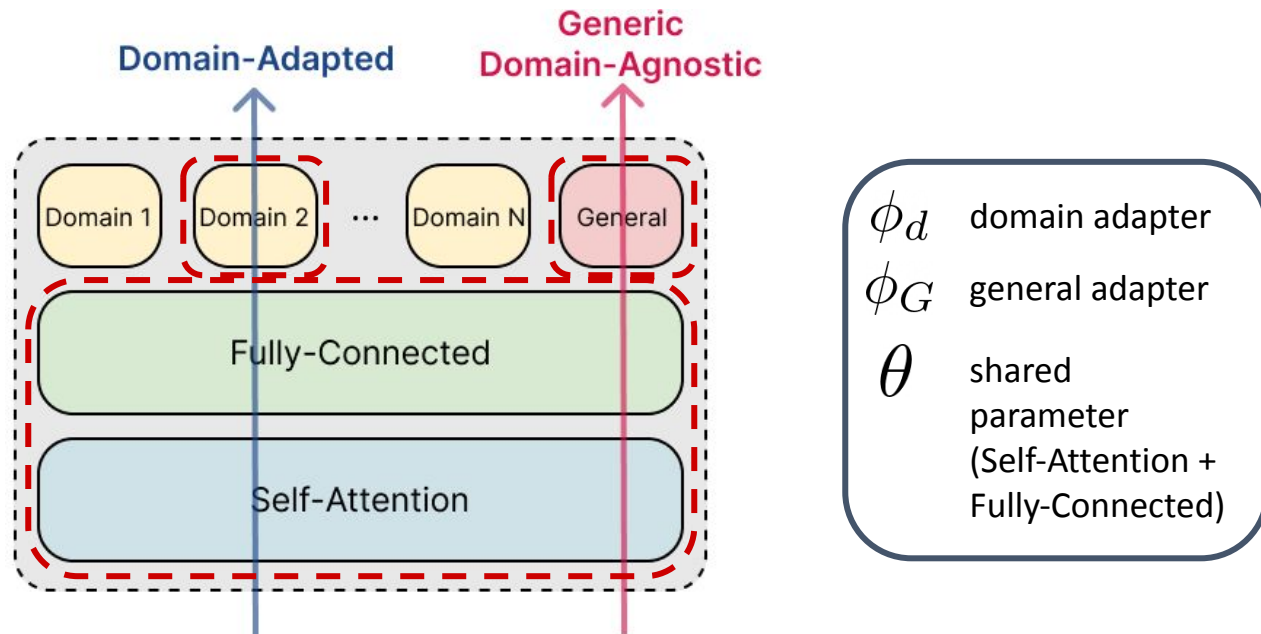


Fig 3. Model Architecture

Method

How Can We Get Mutual Information?

$$MI(D; Y|X) = \mathbb{E}_{D, X, Y} \left[\log \frac{p(Y|X, D)}{p(Y|X)} \right]$$

$$XMI(i) = p(y_i|y_{<i}, x, \theta, \phi_d) - p(y_i|y_{<i}, x, \theta, \phi_G)$$

Domain Adapted
 $p(y_i|y_{<i}, x, \theta, \phi_d)$

0.8 ↑

0.3 ↓

Generic Domain-Agnostic
 $p(y_i|y_{<i}, x, \theta, \phi_G)$

0.6

0.6

$XMI(i)$

+0.2

-0.3

Good 😊

Bad 😞

Method

How Can We Get Mutual Information?

$$MI(D; Y|X) = \mathbb{E}_{D, X, Y} \left[\log \frac{p(Y|X, D)}{p(Y|X)} \right]$$

$$XMI(i) = p(y_i|y_{<i}, x, \theta, \phi_d) - p(y_i|y_{<i}, x, \theta, \phi_G)$$

Domain Adapted
 $p(y_i|y_{<i}, x, \theta, \phi_d)$

Generic Domain-Agnostic
 $p(y_i|y_{<i}, x, \theta, \phi_G)$

$XMI(i)$

0.8



0.6

+0.2

Good 😊

0.3



0.6

-0.3

Bad 😞

high $XMI(i)$ → less weight → less focus

low $XMI(i)$ → more weight → more focus

Method

How Can We Penalize Mutual Information?

$$\mathcal{L}_{\text{MI}} = \sum_{i=0}^{n_T} \underbrace{(1 - \text{XMI}(i))}_{\substack{\text{XMI} \\ \text{weight}}} \cdot \underbrace{(1 - p(y_i | y_{<i}, x, \theta, \phi_d))}_{\text{Cross Entropy Loss}}$$

XMI

1-XMI

Low

High

→

More weight on cross entropy loss

High

Low

→

Less weight on cross entropy loss

Method

Final Loss

$$\text{MI Loss} : \mathcal{L}_{\text{MI}} = \sum_{i=0}^{n_T} (1 - \text{XMI}(i)) \cdot (1 - p(y_i | y_{<i}, x, \theta, \phi_d))$$

$$\text{Domain-Adapted Loss} : \mathcal{L}_{\text{DA}} = - \sum_{i=0}^{n_T} \log(p(y_i | y_{<i}, x, \theta, \phi_d))$$

$$\text{Generic Loss} : \mathcal{L}_{\text{G}} = - \sum_{i=0}^{n_T} \log(p(y_i | y_{<i}, x, \theta, \phi_G))$$

$$\mathcal{L} = \mathcal{L}_{\text{DA}} + \lambda_1 \mathcal{L}_{\text{G}} + \lambda_2 \mathcal{L}_{\text{MI}}$$

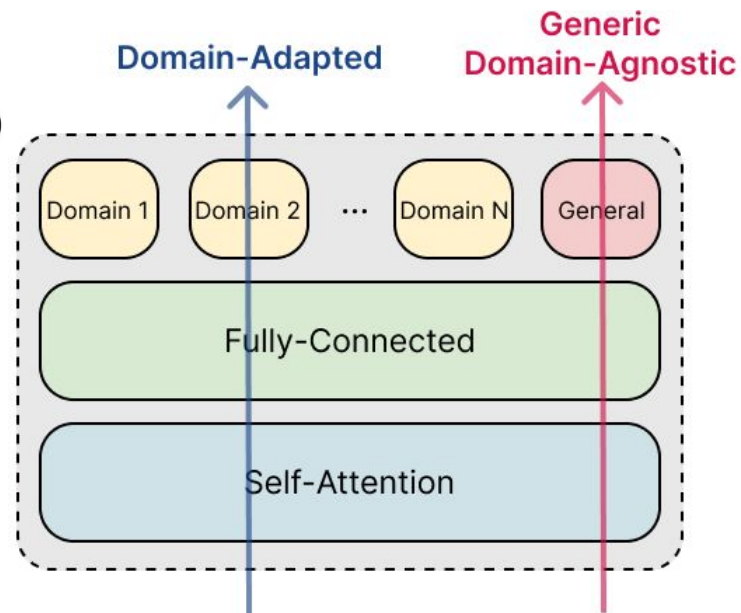


Fig 3. Model Architecture

Experiment

OPUS (De → En)

	IT	Koran	Law	Medical	Subtitles	Average
Mixed	43.87	20.31	58.33	55.19	30.36	41.61
Domain-Tag	44.29	20.44	58.47	55.39	30.61	41.84
WDC	44.44	20.75	58.49	55.43	30.52	41.93
Adapter	44.50	20.37	58.22	56.00	31.02	42.02
Ours	45.89 (+1.39)	20.80 (+0.43)	59.22 (+1.00)	56.34 (+0.34)	31.56 (+0.54)	42.76 (+0.74)

Tab 1. Average BLEU from five random seed experiments on OPUS

Alhub (Ko → En)

	Finance	Ordinance	Tech	Average
Mixed	52.50	56.65	66.00	58.38
Domain-Tag	52.71	56.60	66.03	58.45
WDC	52.75	56.56	65.93	58.41
Adapter	53.13	56.97	66.25	58.78
Ours	53.87 (+0.74)	57.47 (+0.50)	66.66 (+0.41)	59.33 (+0.55)

Tab 2. Average BLEU from five random seed experiments on Alhub

- Baselines performs on par with Mixed (no distinctions among domains)
 - Baseline models are not sufficiently using domain information.
- Our model outperforms all baselines with significant margins.

Experiment

XMI Distributions in OPUS

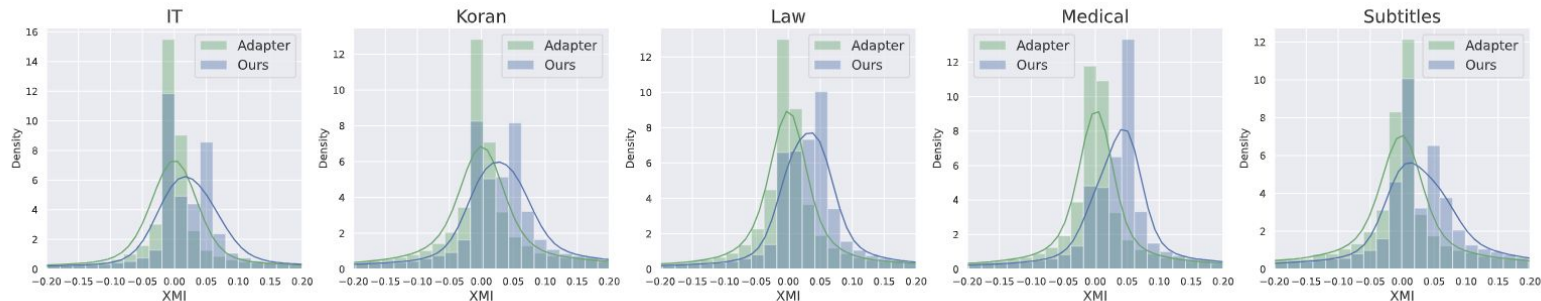


Fig 4. XMI distributions from all domains in OPUS

- XMI values have higher values in all domains in OPUS
- Our proposed loss is effective in maximizing mutual information

XMI Visualization on Generations

MI Value	-1.0	-0.71	-0.43	-0.14	0.14	0.43	0.71	1.0
Domain	IT							
Source	Microsoft Office ; Importieren passwortgeschützter Dateien							
Reference	Microsoft Office ; importing password protected files							
Hypothesis	Microsoft Office ; importing password protected files							
Domain	Medical							
Source	Eine Durchstechflasche enthält 150 mg Omalizumab .							
Reference	One vial contains 150 mg of omalizumab .							
Hypothesis	One vial contains 150 mg of omalizumab .							

Fig 5. XMI visualization in generated outputs

Domain-specific terms (*e.g.*, password, omalizumab) are generated with high XMI values.

Conclusion

Take Home Message

- Previous Multi-domain NMTs show similar performance as Mixed
- We encourage model to learn domain-specific knowledge by penalizing low mutual information.

Further Experiments & Analysis

- Increase in Translation Performance on Domain Specialized Sentences
- Comparison on Computation Cost for Training

paper



poster

